$$G = \left\langle a_1, a_2, a_3, b_1, b_2, b_3, X, Y, Z : \begin{array}{llll} [a_1, b_1] &=& X^{C[2]}Z^{-C[4]}, & [a_1, b_2] &=& X, \\ [a_1, b_3] &=& YZ^{-C[3]}X^{C[1]}, & [a_2, b_1] &=& X, \\ [a_2, b_2] &=& Z, & [a_3, b_1] &=& Y, \\ [a_3, b_3] &=& X \end{array} \right\rangle$$

The Andrew Chamblin Group

Set $[C[1], C[2], C[3], C[4]] = [13, 5, 1969, 1]$
which corresponds to an elliptic curve of
conductor 371907850075767

In Loving Memory of Dr Andrew Chamblin

Discovered by
Prof. Marcus du Sautoy
University of Oxford